

**MIND MAPPING FORMULAS
FOR QUANTITATIVE METHODS**

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MIND MAPPING FORMULAS FOR QUANTITATIVE METHODS

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Mind Mapping Formulas For Quantitative Methods/ Nor Helme Bin Padel & Musalifah Binti Mustafa

Preface

Empowering learning methods is no longer optional. It is a necessity, reflecting a deep commitment to innovation in teaching and learning. This book introduces a mind mapping approach to visually and efficiently understanding formulas in quantitative methods. Designed to help students grasp essential concepts more easily, it uses user-friendly illustrations to support memory and comprehension.

By incorporating structured mind maps and simplified visual formulas through the EduVision approach, understanding becomes clearer and retention faster. This method meets the needs of today's learners, who are constantly exposed to complex information and require engaging, interactive, and widely accepted learning tools.

This innovation is hoped to serve as a catalyst for transforming quantitative education, boosting academic achievement and encouraging active student participation. May it become a valuable companion for educators. A small step with the potential for a profound impact.

Clarity unlocks confidence. When knowledge is visual, understanding becomes powerful.



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ELEMENTS OF DISTRIBUTION

Element 1 : Number of Classes (k)

Formula :

$$k = 1 + 3.3 \log_{10} n$$

k = estimated number of classes

n = number of data points.

Element 2 : Range

Formula :

$$\text{Range} = \text{Highest data} - \text{Lowest data}$$

Used to determine the spread of the distribution.

Element 3 : Class Width

Formula :

$$\text{Class Width} = \text{Range} \div k$$

Rounded to a convenient value (typically an integer).



https://padlet.com/musalifah/my_elements_table

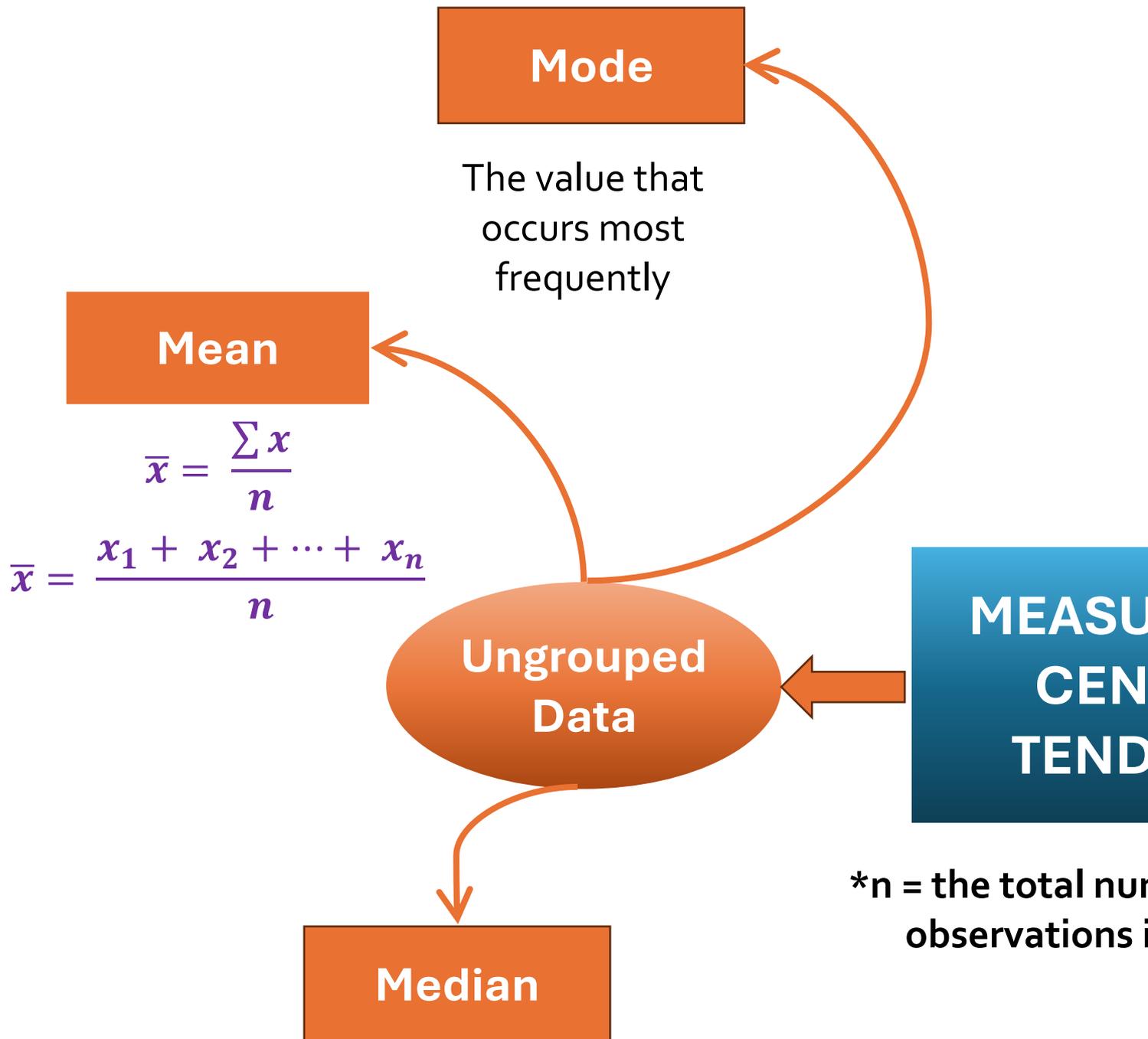
FREQUENCY ON TABLE

Example

Number of Classes = 7

Class Interval	Tally	Frequency (f)	Cumulative Frequency	Relative Frequency
146 - 151		4	4	0.08
152 - 157	###	7	11	0.14
158 - 163	### ###	10	21	0.20
164 - 169	###	9	30	0.18
170 - 175	### ### ###	15	45	0.30
176 - 181		2	47	0.04
182 - 187		3	50	<u>0.06</u>
		<u>50</u>		<u>1</u>

Class Width = 6



The middle value when the data is sorted in order :

If n is an odd number, take the middle value in the sequence. If n is an even number, take the average of the two (2) middle values.

$$\text{Positioning Point} = \frac{n+1}{2}$$

<https://vrcacademy.com/tutorials/mean-median-mode-ungrouped-data/>



Mode

$$\hat{x} = L_b + \left[\frac{f_0 - f_1}{(f_0 - f_1) + (f_0 - f_2)} \right] \times C$$

L_b = lower boundaries of the class mode

C = class width of the class mode

f_0 = frequency of the class mode

f_1 = frequency of the class before the class mode

f_2 = frequency of the class after the class mode

MEASURES OF CENTRAL TENDENCY

Number of values or
frequency in the dataset

Grouped Data

Mean

$$\bar{x} = \frac{\sum f_x}{\sum f}$$

Median

$$\tilde{x} = L_m + \left[\frac{\frac{\sum f}{2} - \sum f_{m-1}}{f_m} \right] \times C$$

$\sum f$ = sum of frequencies

L_m = lower class boundary for median class

$\sum f_{m-1}$ = cumulative frequency before the median class

f_m = frequency of the median class

C = median class size/ class width



https://padlet.com/musalifah/my_tendency_groupeddata/

MEASURES OF

Ungrouped Data

Standard D

Population Variance :

$$\sigma^2 = \frac{\sum(x_i - \mu)^2}{N}$$

* μ = the population mean (average)

Sample Variance :

$$s^2 = \frac{\sum(x_i - \bar{x})^2}{n - 1}$$

@

$$s^2 = \frac{\sum x^2 - \frac{(\sum x)^2}{n}}{n - 1}$$

$$\sigma = \sqrt{\quad}$$

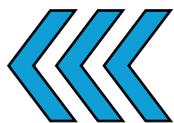
$$s = \sqrt{\quad}$$



DISPERSION

Deviation

$$\sqrt{\sigma^2}$$



Population Variance :

$$\sigma^2 = \frac{1}{N} \sum f(x - \mu)^2$$

Sample Variance :

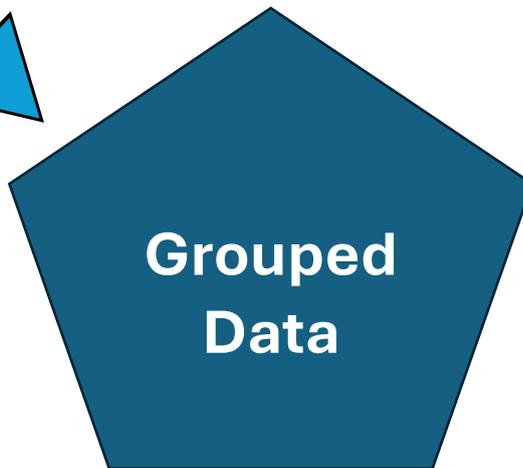
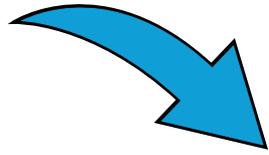
$$s^2 = \frac{1}{\sum f - 1} \left[\sum fx^2 - \frac{(\sum fx)^2}{\sum f} \right]$$



$$\sqrt{s^2}$$

@

$$s^2 = \frac{1}{\sum f - 1} \sum f(x - \bar{x})^2$$



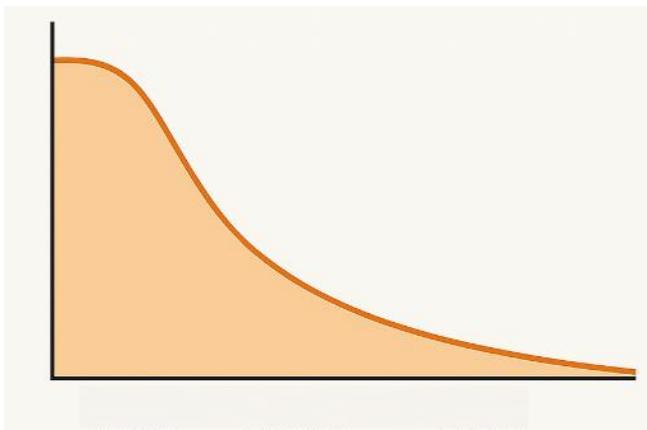
PCS 1

Pearson's Coefficient Of Skewness 1 (PCS 1)

$$\frac{\text{mean} - \text{mode}}{\text{standard deviation}} = \frac{\bar{x} - \hat{x}}{s}$$

POSITIVE SKEW (Right-Skewed)

- Tail Direction : Long tail on the right
- Mean > Median > Mode
- Shape : Peak appears on the left.



SKEWNESS

Interpretation

SYMMETRIC (Zero Skewness)

- Tail Direction : Tails are balanced
- Mean = Median = Mode
- Shape : Bell-shaped (e.g. normal distribution)

PCS 2

Pearson's Coefficient Of Skewness 2 (PCS 2)

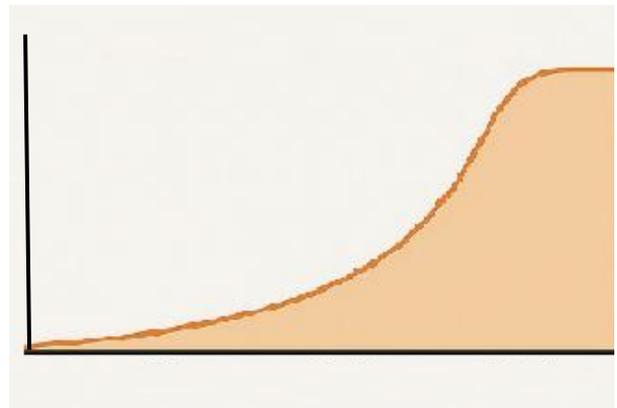
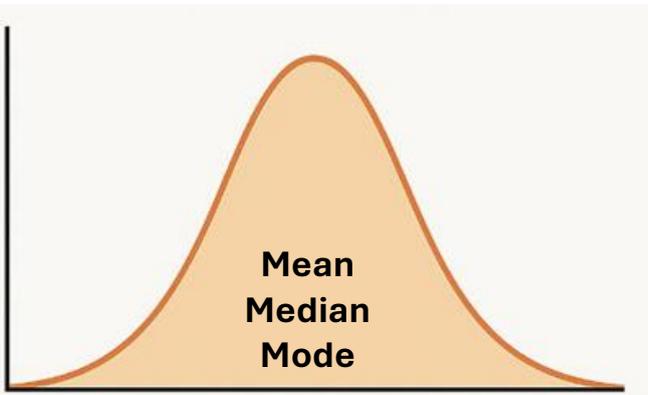
$$\frac{3 (\text{mean} - \text{median})}{\text{standard deviation}} = \frac{3 (\bar{x} - \tilde{x})}{s}$$

NESS

ation

NEGATIVE SKEW (Left-Skewed)

- Tail Direction : Long tail on the left
- Mean < Median < Mode
- Shape : Peak appears on the right.



VENN DIAGRAMS IN PROBABILITY

1. $P(A)$ is the probability of event A.
2. $P(A \text{ and } B)$ represents the probability of both A and B happening.
3. $P(A \cap B)$ uses set notation, where n represents the intersection (i.e., both A and B occurring).
4. $P(B|A)$ is the probability of event B happening given that A' already happened.
5. "and" = "intersection" = n

Structure :

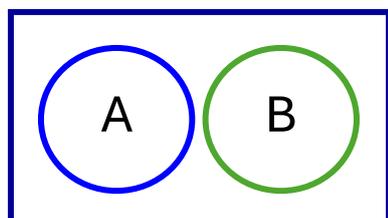
- Circles represent sets (A, B)
- Overlap = $A \cap B$ (intersection)
- Entire Area = $A \cup B$ (union)
- Outside Circles = Complement (A' , B')

Case 1 : When two (2) events cannot occur at the same

Example : In a single roll of a dice, getting an odd number and an even number simultaneously is impossible.

$$P(A \cup B) = P(A) + P(B)$$

$$P(A \cap B) = 0$$



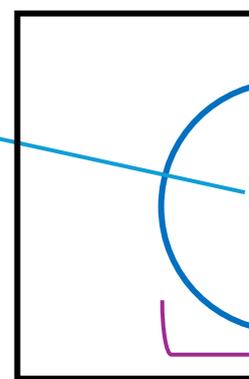
https://stats.libretexts.org/Bookshelves/IntroductoryStatistics/Probability_Topics/3.06%3A_Venn_Diagrams

Case 2

Example:
getting a number
same die
 $P(A \cup B)$

Represents

$n(A)$
Represents
the number
of elements
in set A.



Represents
in the u

Case 3 : Represent

$$\text{Set } A = \{1, 3, 8, 10\}$$

$$\text{Set } B = \{1, 3, 7, 9\}$$

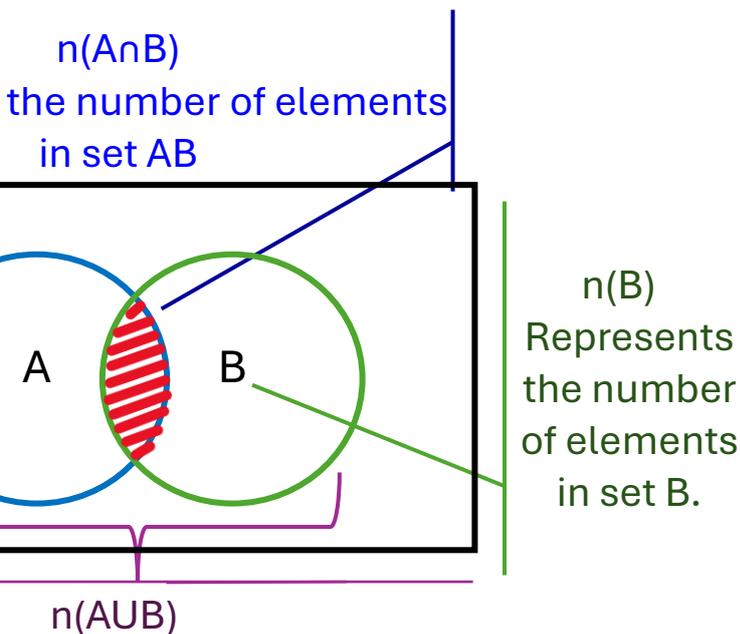
Answer :

$$\text{Intersection } (A \cap B) = \{1, 3\}$$

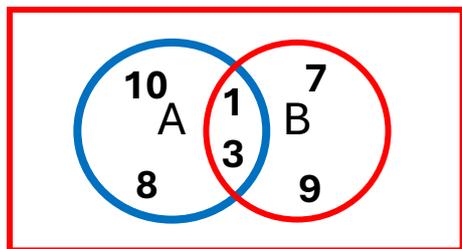
2 : Events can happen at the same time.

Example: When selecting a card, drawing a red card and an even-numbered card can both occur in the same draw.

$$P(A \cup B) = P(A) + P(B) - P(A \cap B)$$



Application of Sets A and B.

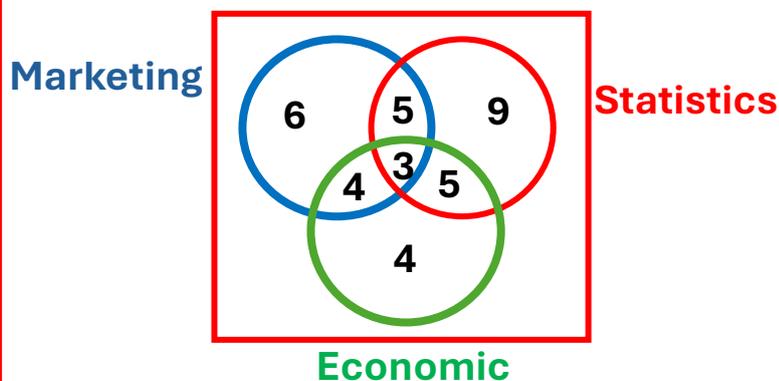


, 3}

[Introductory Statistics 2e %280nn Diagrams](#)

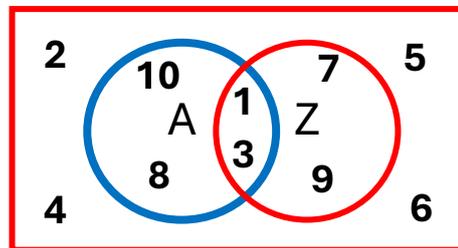
Case 4 : Exploring Overlapping Sets.

In a group of students :
 18 read Marketing, 22 read Statistics, 16 read Economics, 6 read Marketing only, 9 read Statistics only, 5 read Marketing and Statistics only, 5 read Statistics and Economics only.
 How many read all the subjects?



Answer : 3

Case 5 : Complement of a Set Z.



Answer :

Set Z' (elements not in Z but still within the universal) :
 {2, 4, 5, 6, 8, 10}

PROBABILITY WITH TREE DIAGRAM

Nodes

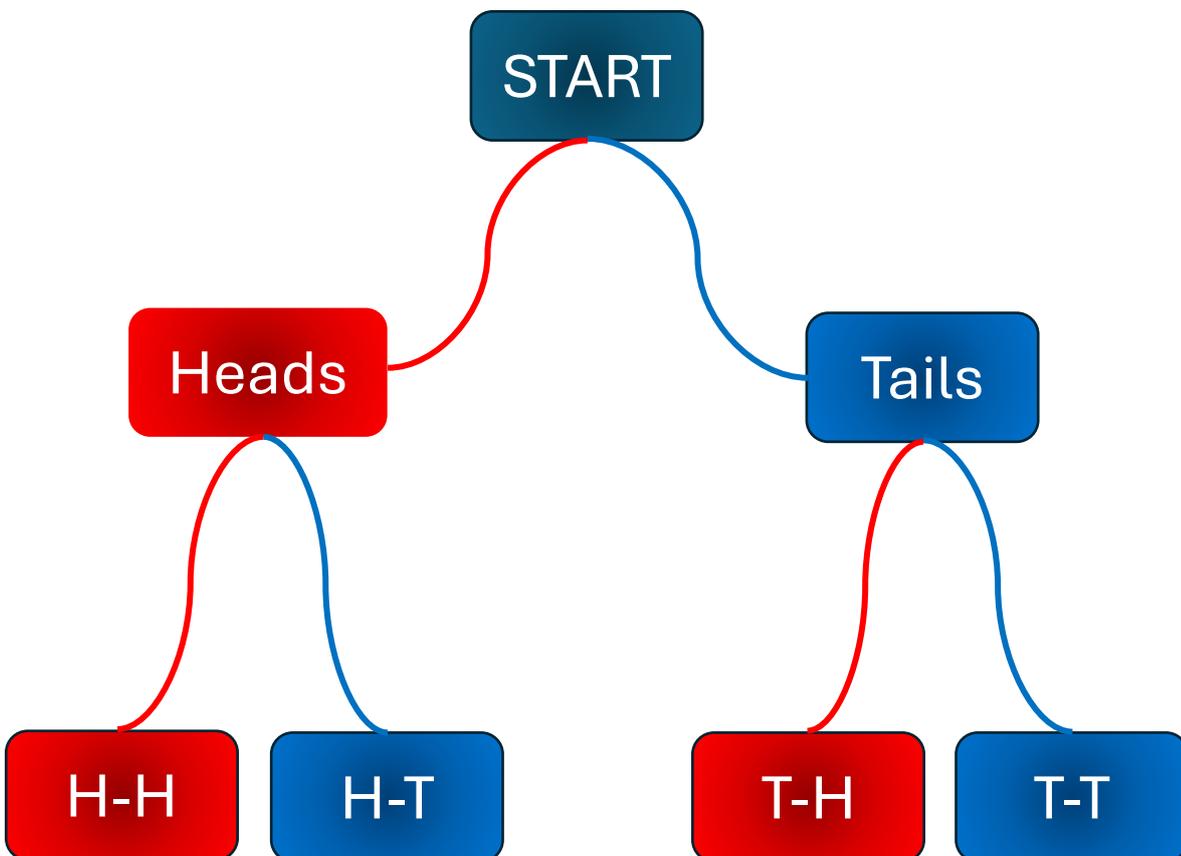
Represent events or choices

Branches

Show possible outcomes

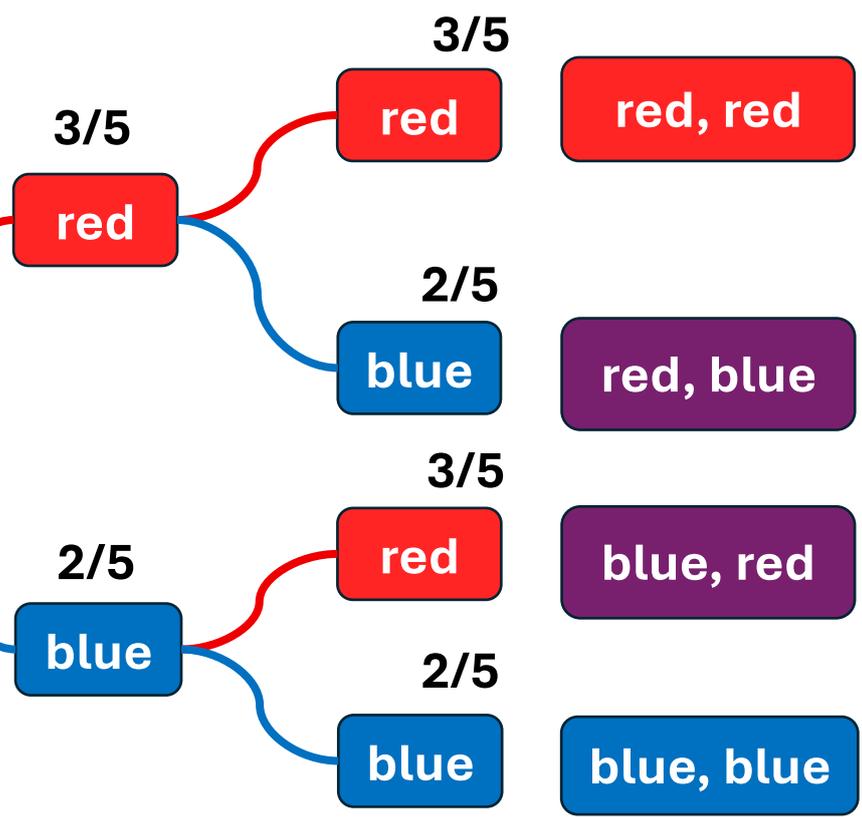
Probabilities

Each branch is labelled with



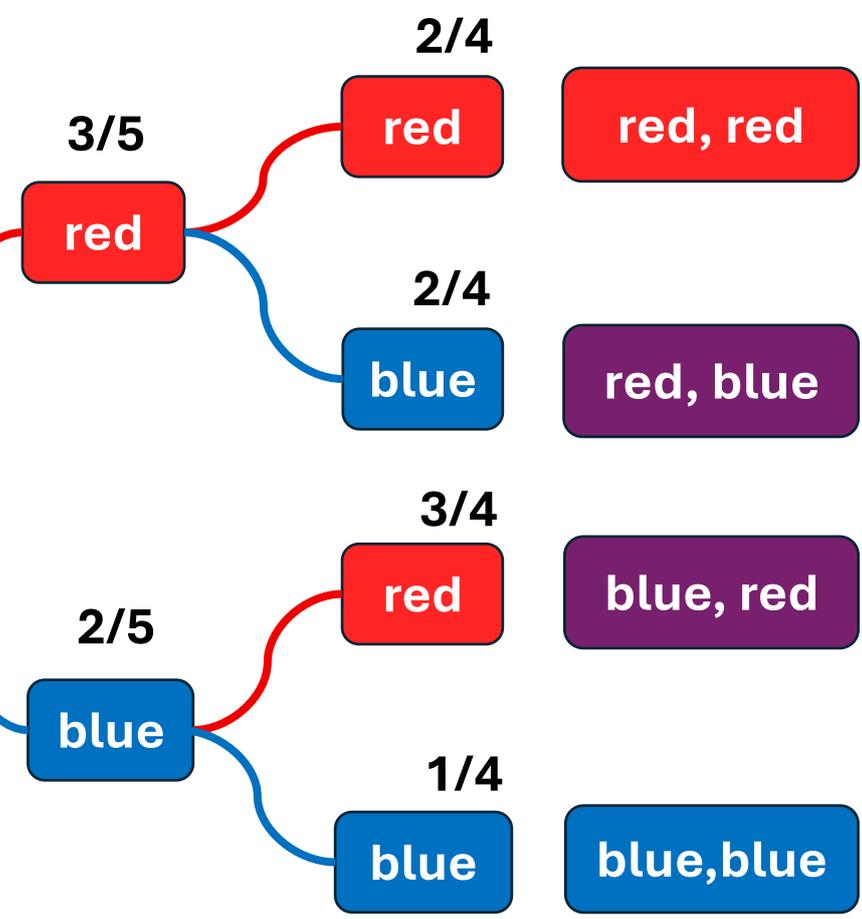
Example :
WITH

Bag contains
3 red &
blue marbles



Example :
REPLACEMENT

Bag contains
3 red &
blue marbles



How It Works

- Rows represent one variable (e.g. Gender.)
- Columns represent another variable (e.g. Sports Participation.)
- Cells show how many individuals fall into each combination (e.g. Female who plays sports)
- Grand total : Overall total of all entries

Columns → Sports
Participation
status. Yes or No

Marginal Totals show
row/ column sums



<https://www.youtube.com/watch?v=clrff5Lg2SU>

BIG DATA CROSS-TAB TABLES

Example

Rows → Gender categories :
Male or Female

	Plays Sports	Does Not Play Sports
Male	18	7
Female	12	13
Column Total	30	20

Grand Total → Total number of participants

Cells → Frequency of combined outcomes

Two-way tables help us analyse how two (2) variables interact :

$$P(\text{Male Plays Sports}) = 18/50 = 0.36$$

$$P(\text{Female}) = 25/50 = 0.5$$

$$P(\text{Plays Sports} | \text{Female}) = 12/25 = 0.48$$

PEARSON'S (r)

Range : $-1.0 \leq r \leq +1.0$

Writing comments, for example :

The correlation coefficient is $r = -0.72$, which falls in the range of strong negative correlation according to the **book's scale**.

This suggests that as Variable A increases, Variable B tends to decrease.

Formula

$$r = \frac{n(\sum xy) - (\sum x)(\sum y)}{\sqrt{[n \sum x^2 - (\sum x)^2][n \sum y^2 - (\sum y)^2]}}$$

Interpretation

Strength of correlation

Very strong positive correlation

Strong positive correlation

Moderate positive correlation

Weak positive correlation

Zero correlation

Weak negative correlation

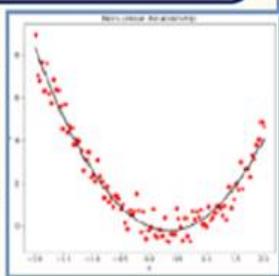
Moderate negative correlation

Strong negative correlation

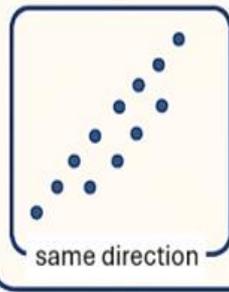
Very strong negative correlation

Interpretation of r

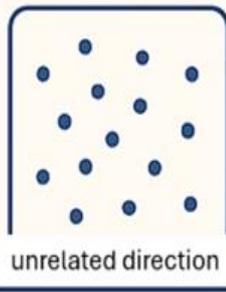
Non - Linear relationship



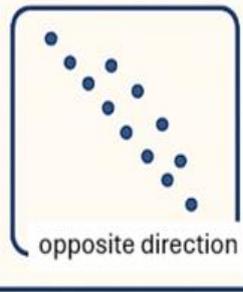
Positive correlation



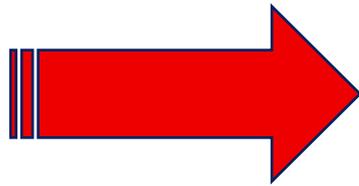
No/ Zero correlation



Negative correlation



CORRELATION



SPEARMAN'S (ρ)

Correlation	Value of correlation
Strong positive correlation	0.8 to 1.0
Moderate positive correlation	0.6 to 0.79
Weak positive correlation	0.4 to 0.59
Very weak positive correlation	0.1 to 0.39
No correlation	0
Very weak negative correlation	-0.1 to -0.39
Weak negative correlation	-0.4 to -0.59
Moderate negative correlation	-0.6 to -0.79
Strong negative correlation	-0.8 to -1.0

Range : - 1.0 ≤ ρ ≤ 1.0

Writing comment, for example :
Coefficient between students' motivation scores and their class rankings was $\rho = - 0.58$ indicating a moderate negative monotonic relationship.

This suggests that students with higher motivation tends to have better (lower) class rankings.

The result was statistically significant at $p < 0.01$

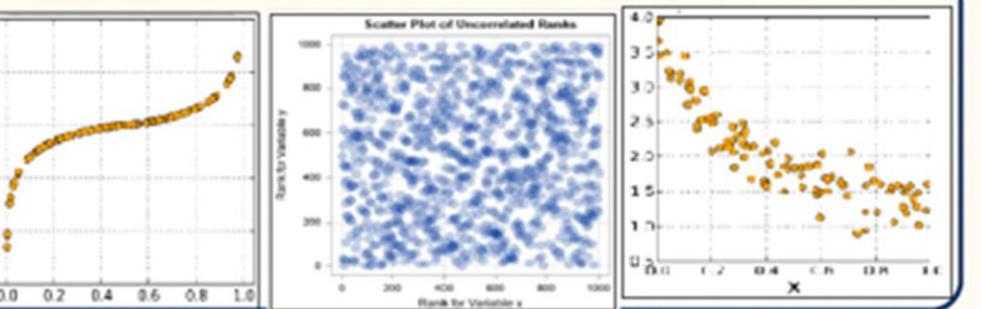
Formula

$$\rho = 1 - \frac{(6 \sum d^2)}{n(n^2 - 1)}$$

* d = rank variable 1 - rank variable 2

Interpretation

Positive correlation No/ Zero correlation Negative correlation



LE
R

$$b = \frac{n (\sum xy) - \sum x \sum y}{n \sum x^2 - (\sum x)^2}$$

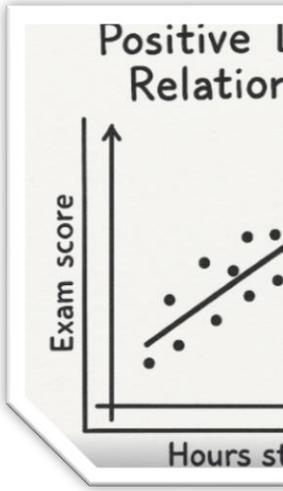
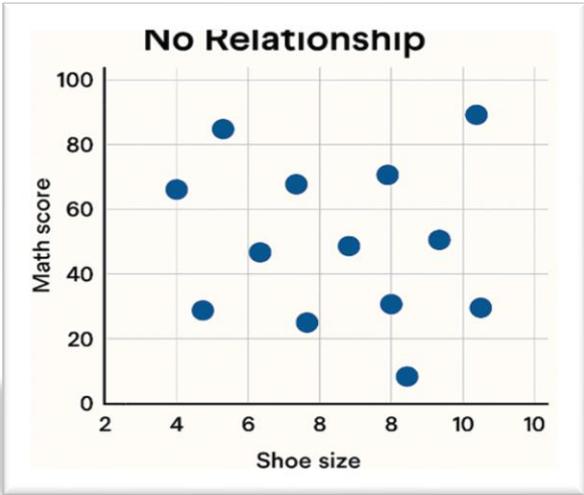
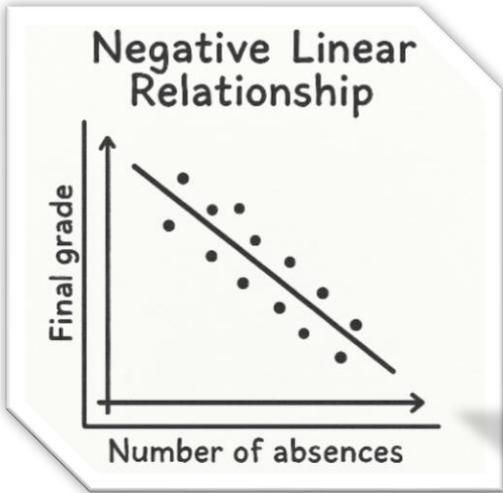
$$a = \frac{\sum y}{n} - b \frac{(\sum x)}{n}$$

@

$$a = \bar{y} - b\bar{x}$$

Regre
 $y =$

$b =$ t
 $a =$ the



LEAST SQUARES REGRESSION

Regression Line

$$y = bx + a$$

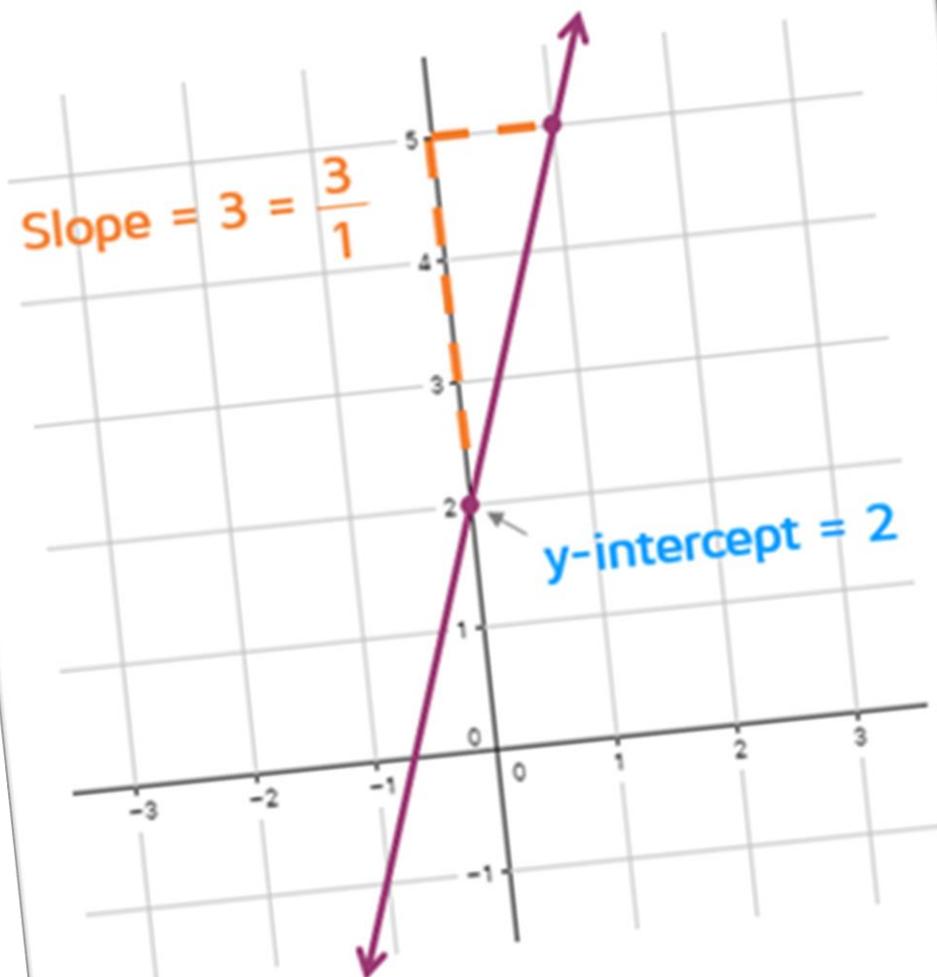
the slope
the y-intercept

Linear
Relationship



studied

Graph of $y = 3x + 2$



 <https://wakelet.com/wake/YzXdaTlr61N3epaTzsa7Z>

Types of Tests

Test Type	Symbol in H_1	When to Use
Two-tailed	$\mu \neq H_0$	Testing for any difference
Left-tailed	$\mu < H_0$	Testing if mean is less than H_0
Right-tailed	$\mu > H_0$	Testing if mean is greater than H_0

Null Hypothesis (H_0)

- No effect or no change
- Default assumption
- Symbols: =, \leq , \geq

Examples :

- $H_0 : \mu = 50$
- $H_0 : \mu \geq 50$
- $H_0 : \mu \leq 50$

Alternative Hypothesis (H_1)

- There is an effect or change
- Statement we try to prove
- Symbols : \neq , $>$, $<$

Examples :

- $H_1 : \mu \neq 50$ Two-tailed test
- $H_1 : \mu < 50$ Left-tailed test
- $H_1 : \mu > 50$ Right-tailed

H_0 vs H_1

HYPOTHESIS TEST

SIGNIFICANCE LEVEL

Common choices :
0.05, 0.01 or 0.10
Defines rejection region

α

one-tailed
(or one-sided)
test

$\alpha/2$

two-tailed test

https://wakelet.com/wake/tjEttl_aje

<https://wakelet.com/wake/YzXdaTlr6>

t - test

$$\frac{\bar{x} - \mu}{s/\sqrt{n}}$$

z - test

$$z = \frac{\bar{x} - \mu}{\sigma/\sqrt{n}}$$

TEST STATISTIC

TESTING

CGvBWW2PZN3

61N3epaTzsa7Z

4 CRITICAL VALUE

1. Choose The Right Table

Population σ known & $n \geq 30$: z - table
 Population σ unknown or $n < 30$: t - table

2. Refer α

Two tailed	Use $\alpha/2$
Left tailed	Use α
Right tailed	Use α

3. Find The Critical Value From The Table

From z - table :
 Look for the z-score corresponding to your tail area.

From t - table :
 1. Degrees of freedom ($df = n - 1$)
 2. Match df and the α or $\alpha/2$

5 COMPARE & DECIDE

Reject H_0

Do not Reject H_0

Test statistic falls in rejection region.
 Test statistic > Critical value

Test statistic falls within acceptance region.
 Test statistic < Critical value

Review Question

The frequency distribution table shows the monthly amount invested by employees in Milo Co. under company's profit-sharing plan. From the table, simplify the answer for :

- i. Mean
- ii. Mode
- iii. Median
- iv. Variance
- v. Standard deviation
- vi. Pearson's Coefficient Of Skewness 1
- vii. Pearson's Coefficient Of Skewness 2
- viii. Histogram & Frequency Polygon.
- ix. Ogive less than
- x. Mode using Histogram
- xi. Median using more than Ogive

Amount Invested (RM)	Number Of Employees
30 – 34	3
35 – 39	7
40 – 44	11
45 – 49	22
50 – 54	40
55 – 59	24
60 – 64	9
65 – 69	4
Total	n = 120

Amount Invested (RM)	Number Of Employees (f)
30 – 34	3
35 – 39	7
40 – 44	11
45 – 49	22
50 – 54	40
55 – 59	24
60 – 64	9
65 – 69	4
Total	$\Sigma f = 120$



5. Divide the total weighted variance by the total frequency :

Mean (\bar{x})

1. Find the midpoint of each class interval :

Midpoint = (Lower limit + Upper limit) / 2

Example : For 30-34, midpoint = $(30+34)/2 = 32$

2. Multiply each midpoint by its frequency (fx) :

This gives the total contribution of each class to the overall sum.

Example : For 30 - 34, $fx = (3 \times 32) = 96$

x	fx
32	96
37	259
42	462
47	1034
52	2080
57	1368
62	558
67	268
	$\Sigma fx = 6125$

3. Sum all the products of midpoint \times frequency :

This gives the total weighted value.

$$\Sigma fx = 6125$$

4. Sum all the frequencies (Σf) :

This gives the total number of employees.

$$\Sigma f = 120$$

Mean = Total value by the total

$$\bar{x} = \frac{\Sigma fx}{\Sigma f}$$

$$\bar{x} = \frac{6125}{120}$$

$$\bar{x} = 51.04$$

Mode (\hat{x})

1. Build the Class Boundaries column :

Lower Class Boundaries = Lower class - 0.5

Upper Class Boundaries = Upper Class + 0.5

Example : For 30 - 34

Lower Class Boundaries = $30 - 0.5 = 29.5$

Upper Class Boundaries = $34 + 0.5 = 34.5$

2. Find the highest frequency :

frequency of the class mode (f_0) = 40

6. Find f_1 and f_2 :

frequency of the class before the class mode

(f_1) = 22

frequency of the class after the class mode

(f_2) = 24

Amount Invested (RM)	Number Employed (f)
30 - 34	3
35 - 39	7
40 - 44	11
45 - 49	22
50 - 54	40
55 - 59	24
60 - 64	9
65 - 69	4
Total	$\Sigma f = 110$

7. Use the Mode Formula :

$$\hat{x} = L_b + \left[\frac{f_0 - f_1}{(f_0 - f_1) + (f_0 - f_2)} \right] \times$$

$$\hat{x} = 49.5 + \left[\frac{40 - 22}{(40 - 22) + (40 - 24)} \right] \times 5$$

$$\hat{x} = 49.5 + \left[\frac{18}{18 + 16} \right] \times 5$$

$$\hat{x} = 52.15$$

3. Build the Lower Boundaries column :

Lower class boundaries

Example : For 30 – 34

Lower Boundaries (L_b) = **29.5**

er Of vees	Class Boundaries	Lower Boundaries (L_b)
	29.5 – 34.5	29.5
	34.5 – 39.5	34.5
	39.5 – 44.5	39.5
	44.5 – 49.5	44.5
	49.5 – 54.5	49.5
	54.5 – 59.5	54.5
	59.5 – 64.5	59.5
	64.5 – 69.5	64.5
20		

4. Find the lower boundary of the modal class, refer to the class boundaries of the class with the highest frequency :

Lower Boundaries (L_b) = **49.5**

5. Find the class width (C) of the class mode :

class width = Upper class boundaries -

Lower class boundaries

Example : For 30 – 34

class width (C) = $34.5 - 29.5 = 5$

Median (\tilde{x})

1. Build the cumulative frequency column :

Example :

For 30 – 34 : cumulative frequency = 3

For 35 – 39 : cumulative frequency = 3 +

Amount Invested (RM)		Number Of Employees (f)	Class Boundaries	Cumulative Frequency
30 – 34		3	29.5 – 34.5	3
35 – 39		7	34.5 – 39.5	10
40 – 44		11	39.5 – 44.5	21
45 – 49		22	44.5 – 49.5	43
50 – 54	Median Class	40	49.5 – 54.5	83
55 – 59		24	54.5 – 59.5	107
60 – 64		9	59.5 – 64.5	116
65 – 69		4	64.5 – 69.5	120
Total		$\Sigma f = 120$		

$$7 = 10$$

2. Decide the class that contain the median :

$$\text{Total frequency } (\Sigma f) = 120$$

$$\text{Median position} = \Sigma f / 2 = 120 / 2 = 60$$

$$\text{Median class} = 50 - 54$$

3. Find the median by using the formula :

$$\text{Lower boundary } (L_m) = 49.5$$

$$\text{Cumulative frequency before median class } (\Sigma f_{m-1}) = 43$$

$$\text{Frequency of median class } (f_m) = 40$$

$$\text{Class width } (C) = 5$$

$$\tilde{x} = L_m + \left[\frac{\frac{\Sigma f}{2} - \Sigma f_{m-1}}{f_m} \right] \times C$$

$$\tilde{x} = 49.5 + \left[\frac{60 - 43}{40} \right] \times 5$$

$$\tilde{x} = 51.63$$

Variance (s^2)

$$s^2 = \frac{1}{\sum f - 1} \left[\sum fx^2 - \frac{(\sum fx)^2}{\sum f} \right]$$

<i>Amount Invested (RM)</i>	Number Of Employees (<i>f</i>)	<i>x</i>	<i>fx</i>	<i>x²</i>	<i>fx²</i>
30 – 34	3	32	96	1024	3072
35 – 39	7	37	259	1369	9583
40 – 44	11	42	462	1764	19404
45 – 49	22	47	1034	2209	48598
50 – 54	40	52	2080	2704	108160
55 – 59	24	57	1368	3249	77976
60 – 64	9	62	558	3844	34596
65 – 69	4	67	268	4489	17956
<i>Total</i>	n = 120		$\sum fx = 6125$		$\sum fx^2 = 319345$

5. Find the **variance** by using the formula :

$$s^2 = \frac{1}{120 - 1} \left[319345 - \frac{(6125)^2}{120} \right]$$

$$s^2 = \frac{1}{119} [319345 - 312630.21]$$

$$s^2 = 56.43$$

1. Build the midpoint (x) column

Midpoint = (Lower limit + Upper limit) / 2

Example :

For 30-34, $x = (30+34)/2 = 32$

2. Build the fx column

Multiply each midpoint by its frequency (fx) :

This gives the total contribution of each class to the overall sum.

Example :

For 30 - 34, $fx = (3 \times 32) = 96$

Then, sum all the fx values across the table = 6125

3. Build the x^2 column

Example :

For 30 - 34 : $x^2 = (32)^2 = 1024$

For 35 - 39 : $x^2 = (37)^2 = 1369$

4. Build the fx^2 column

Example :

For 30 - 34 : $fx^2 = 3 \times 1024 = 3072$

For 35 - 39 : $fx^2 = 7 \times 1369 = 9583$

Then, sum all the fx^2 values across the table = 319345

Standard deviation (s)

$$s = \sqrt{s^2}$$

$$s = \sqrt{56.43}$$

$$s = 7.51$$

Pearson's Coefficient Of Skewness 1 (PCS 1)

$$\frac{\text{mean} - \text{mode}}{\text{standard deviation}} = \frac{\bar{x} - \hat{x}}{s}$$

$$\text{PCS 1} = \frac{51.04 - 52.15}{7.51}$$

$$\text{PCS 1} = \frac{-1.11}{7.51}$$

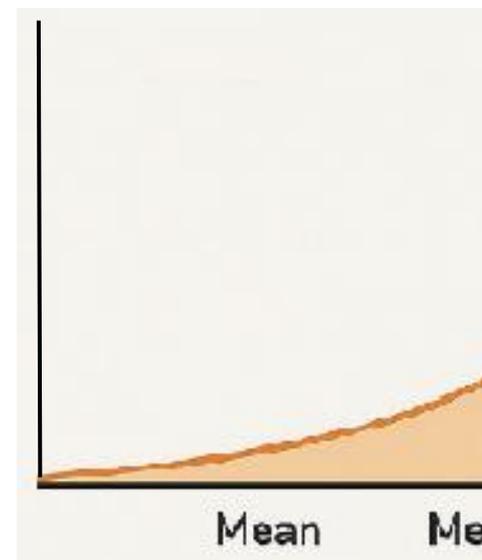
$$\text{PCS 1} = -0.15$$

Mean (\bar{x})

Median (\tilde{x})

Mode (\hat{x})

Standard Deviation



Mean < median < mode : The distribution

Pearson's Coefficient Of Skewness 2 (PCS 2)

$$\frac{3 (\text{mean} - \text{median})}{\text{standard deviation}} = \frac{3 (\bar{x} - \tilde{x})}{s}$$

= 51.04

= 51.63

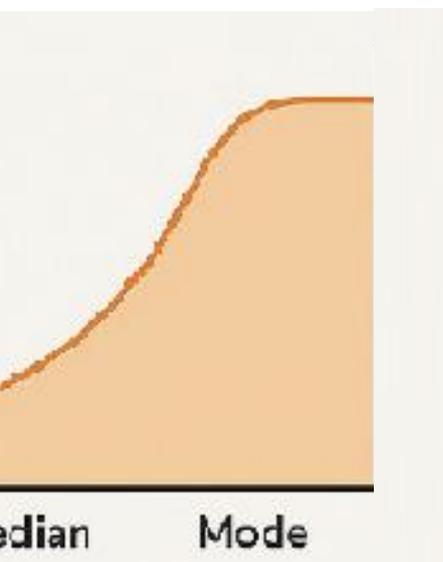
= 52.15

standard deviation (s) = 7.51

$$\text{PCS 2} = \frac{3 (51.04 - 51.63)}{7.51}$$

$$\text{PCS 2} = \frac{3 (-0.59)}{7.51}$$

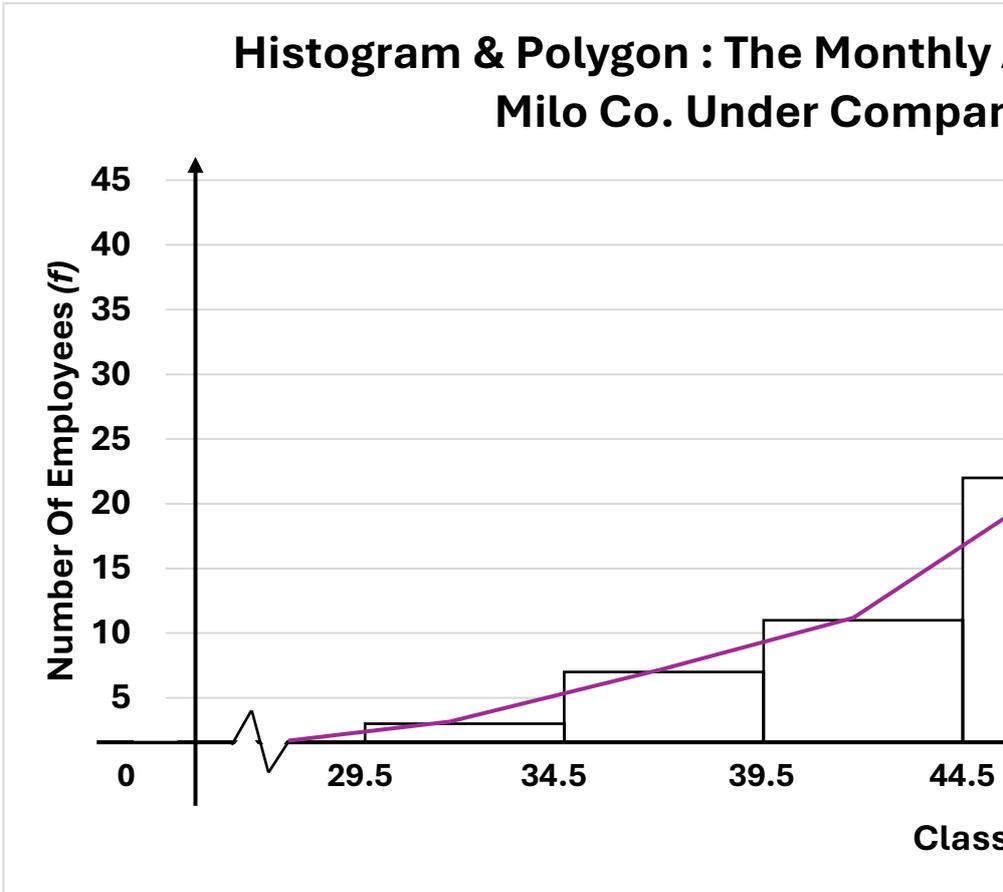
$$\text{PCS 2} = -0.24$$



is negatively skewed or skewed to the left.

Histogram & Fre

Class Boundaries	29.5 – 34.5	34.5 – 39.5	39.5 – 44.5	44.5 – 49.5
Number Of Employees (<i>f</i>)	3	7	11	22

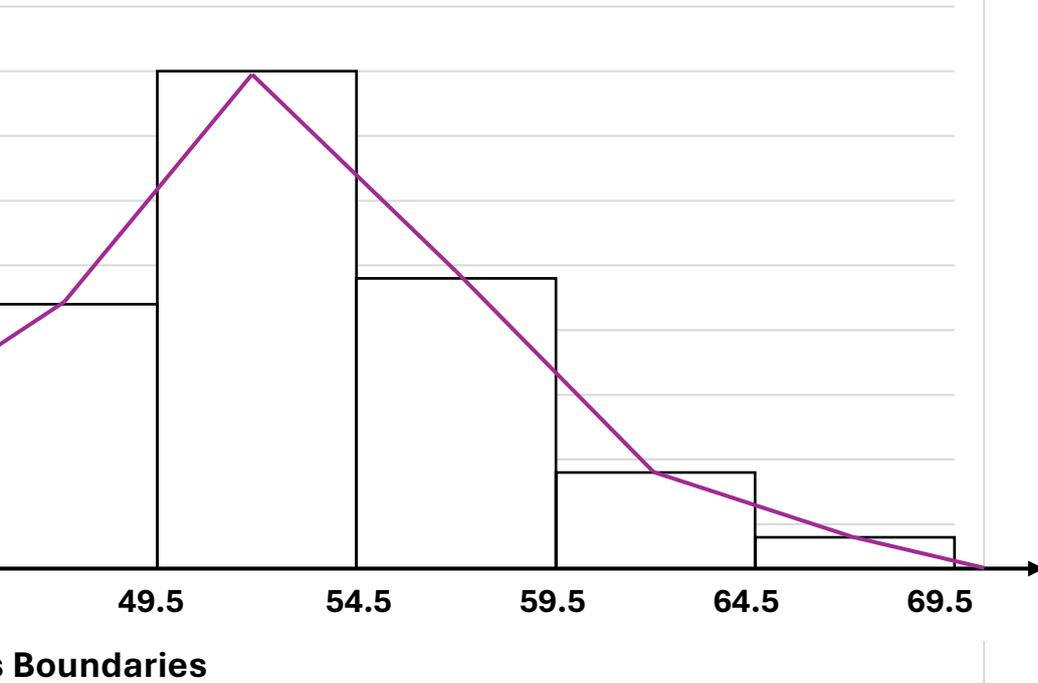


Frequency Polygon

49.5 – 54.5 54.5 – 59.5 59.5 – 64.5 64.5 – 69.5

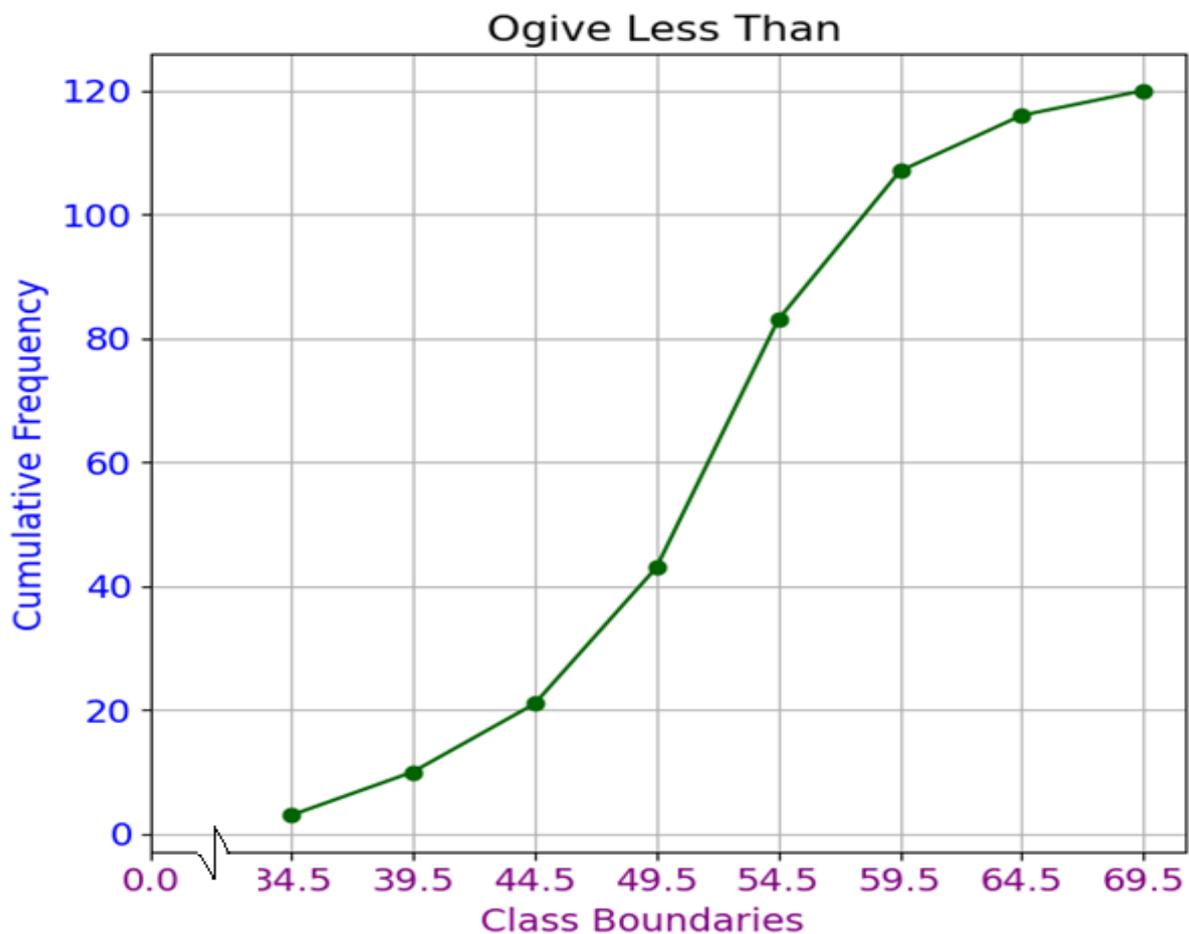
22 40 24 9 4

Amount Invested By Employees in
Company's Profit-Sharing Plan



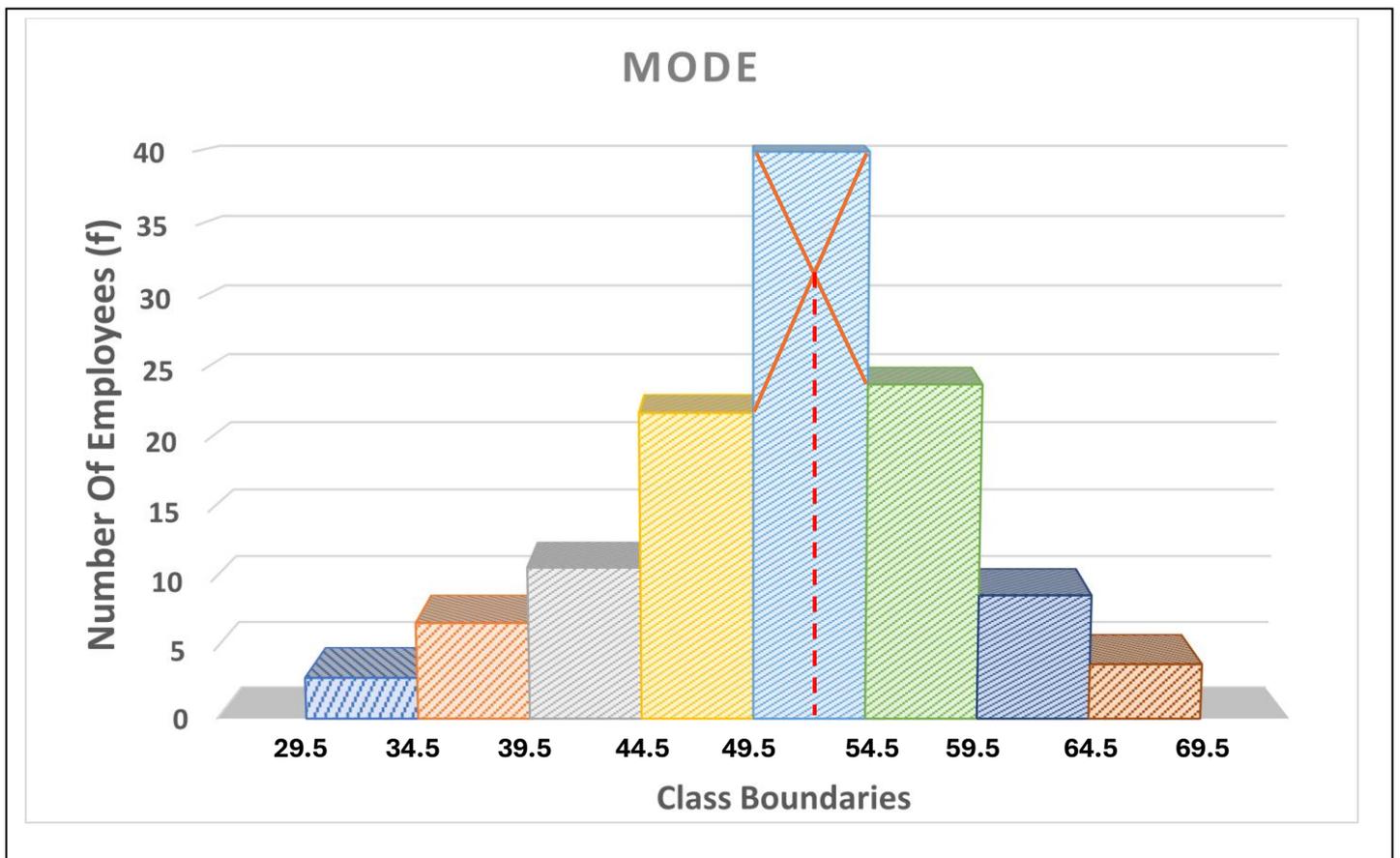
Ogive Less Than

Class Boundaries	29.5 — 34.5	34.5 — 39.5	39.5 — 44.5	44.5 — 49.5	49.5 — 54.5	54.5 — 59.5	59.5 — 64.5	64.5 — 69.5
Upper Boundaries	34.5	39.5	44.5	49.5	54.5	59.5	64.5	69.5
Cumulative Frequency	3	10	21	43	83	107	116	120



Mode using Histogram

Class Boundaries	29.5 – 34.5	34.5 – 39.5	39.5 – 44.5	44.5 – 49.5	49.5 – 54.5	54.5 – 59.5	59.5 – 64.5	64.5 – 69.5
Number Of Employees (f)	3	7	11	22	40	24	9	4

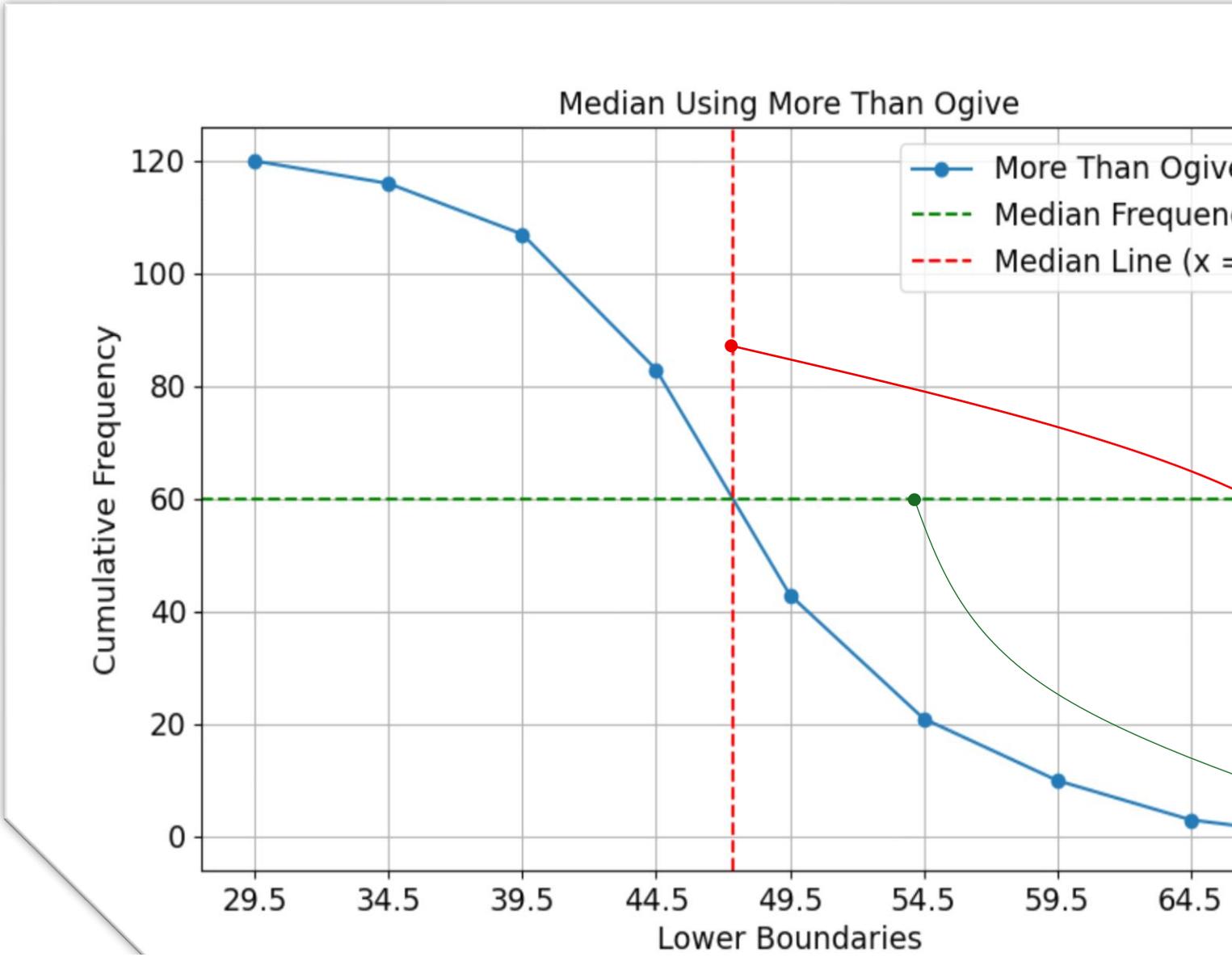


Note :

The value **52.0** is only an **approximate estimate**. The **actual value** should be determined by **referring to the graph plotted on graph paper**.

Median using M

Class Boundaries	29.5 – 34.5	34.5 – 39.5	39.5 – 44.5
Lower Boundaries	29.5	34.5	39.5
Cumulative Frequency	120	116	107



More Than Ogive

5	44.5 – 49.5	49.5 – 54.5	54.5 – 59.5	59.5 – 64.5	64.5 – 69.5
	44.5	49.5	54.5	59.5	64.5
	83	43	21	10	3



Explanation :

- ✚ The **lower boundaries** are used as the **x-axis**.
- ✚ The **cumulative frequency** is used as the **y-axis**.
- ✚ The **median point** is estimated as the value of x when the cumulative frequency is **half of the total frequency** (which is 60).
- ✚ The **red dashed line** represents the estimated **median value**.
- ✚ The **green dashed line** represents **half of the total cumulative frequency**.

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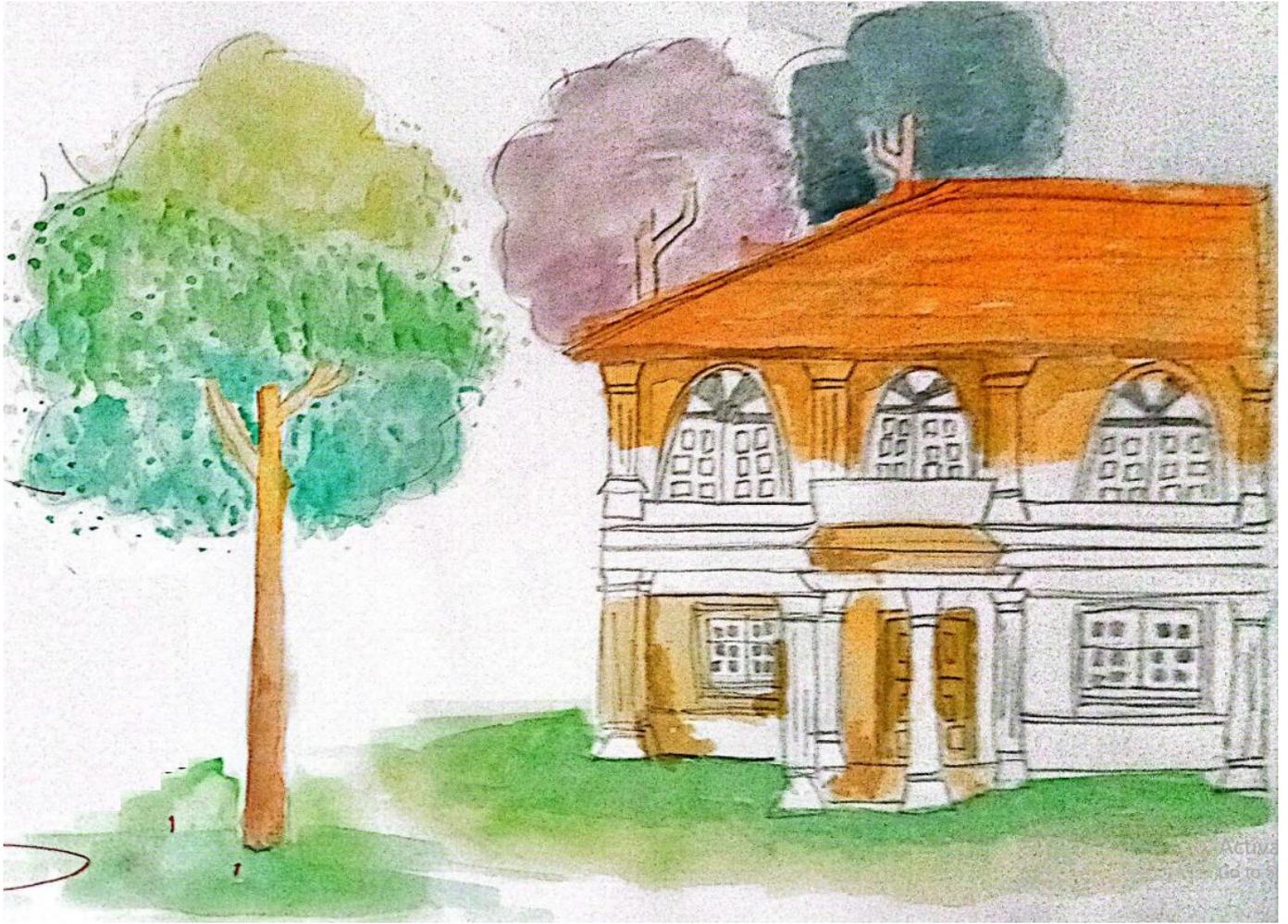
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We appreciate your feedback on the mind mapping activity.

Your thoughts help us improve future sessions.

Just be honest—there are no right or wrong answers.

<https://forms.gle/NPj2aQpCtV2cYDSR7>



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